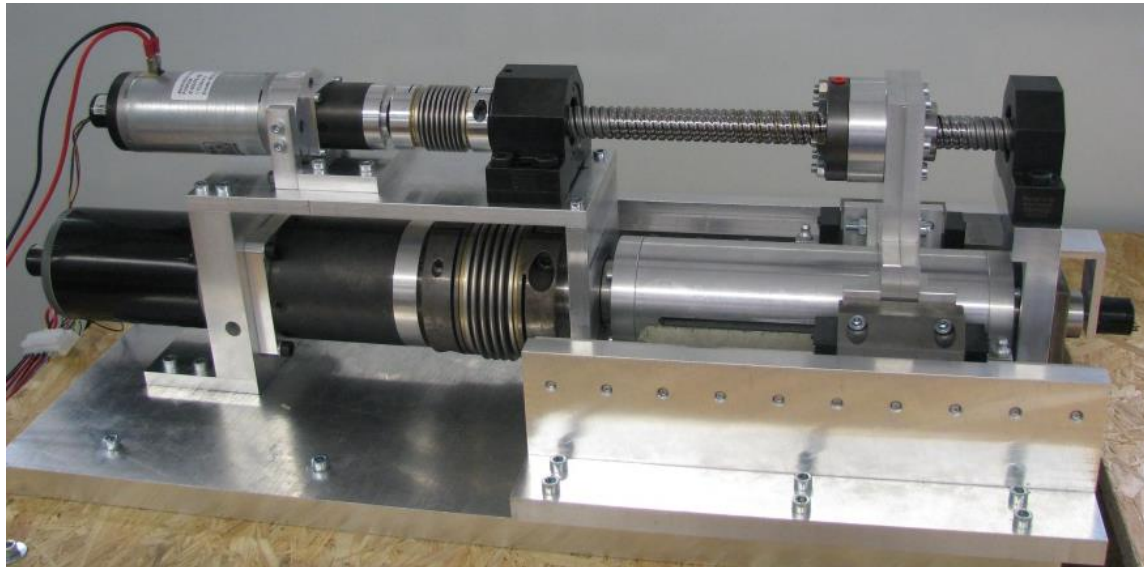


Elastic Actuators for Efficient Robot Motion



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- Why elastic actuation?
- Possible actuator designs
- Variable torsion stiffness actuator
- Exemplary application: Knee prosthesis
- Project ideas

Motivation

Requirements in working environments

- Classical: Fast and precise motion
→ High joint stiffness beneficial
- Trend: (Safe!) human-robot collaboration
→ Low joint stiffness beneficial



www.assemblymag.com



www.logismarket.de

Requirements in assistive robotics:

- Energy efficiency
- Shock absorption
→ Variable joint stiffness beneficial



www.cyberdyne.jp



www.tum.de



www.endolite.de

Why elastic actuation?

Powered lower limb prosthetics



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State-of-the-art

- Powered knee and ankle devices
- Elastic actuation and mechanical transfer of energy between joints

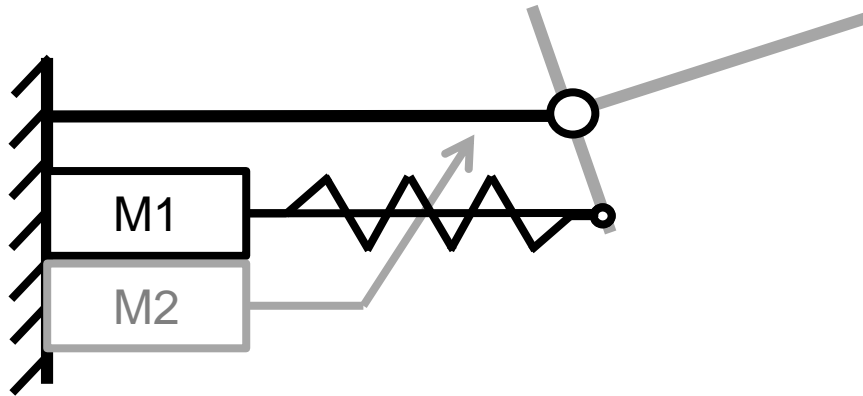
Current potentials

- Improvement of energy balance and flexibility

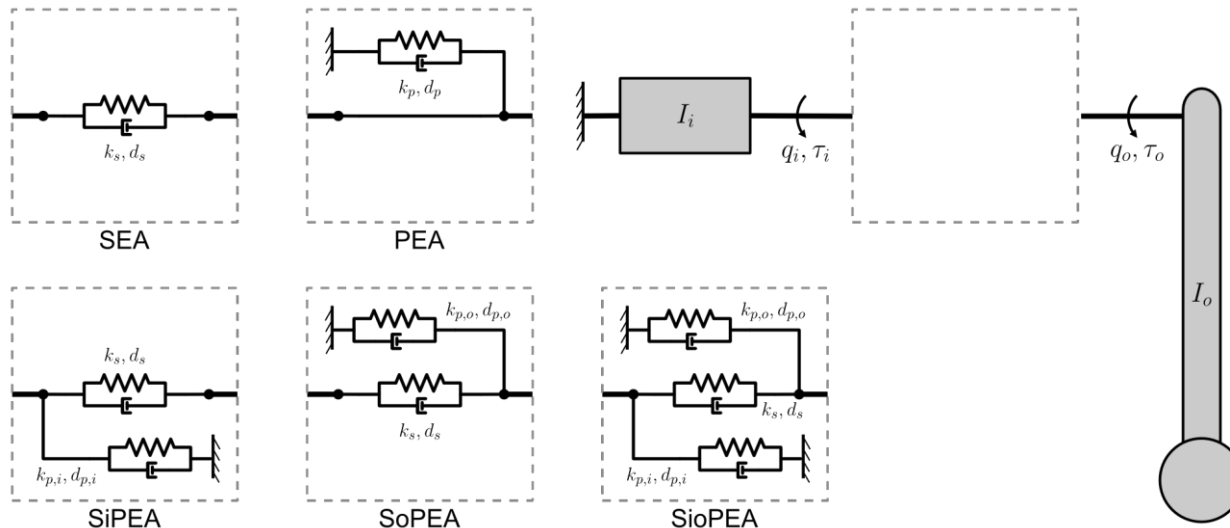


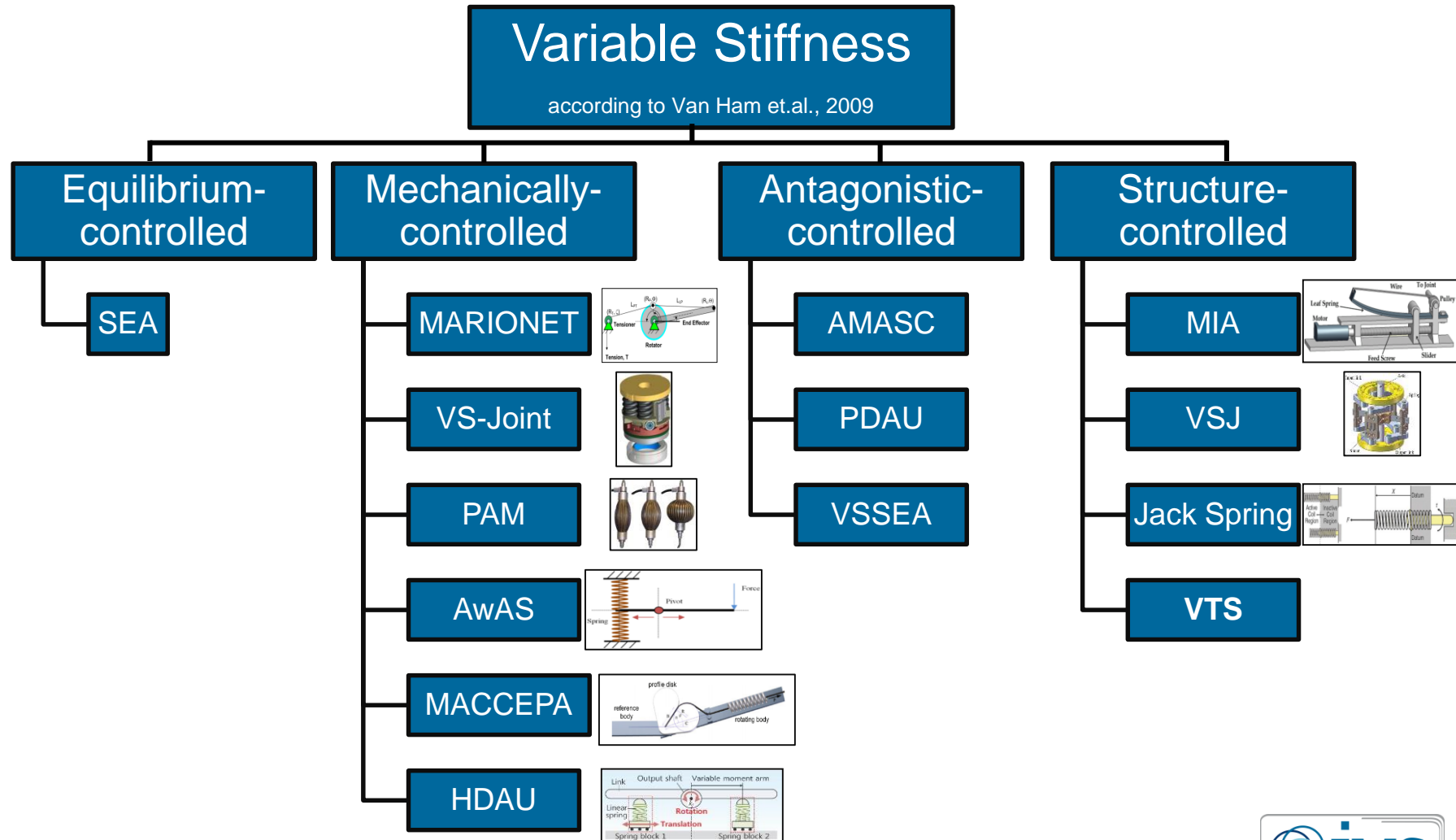
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Basic concept and configurations



- Link is driven via elastic element by motor 1
- Motor 2 is used to vary the stiffness characteristics

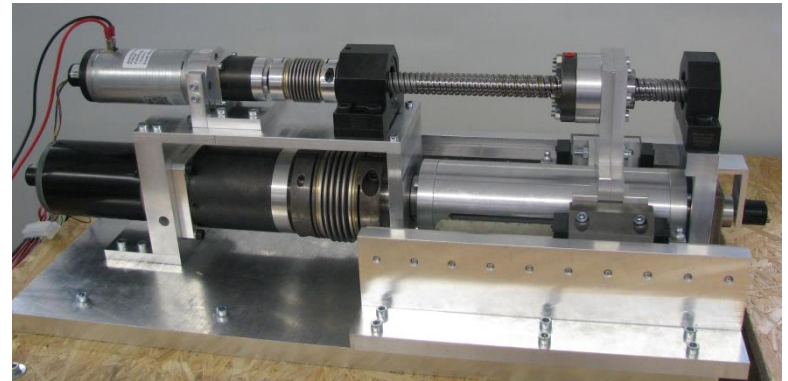
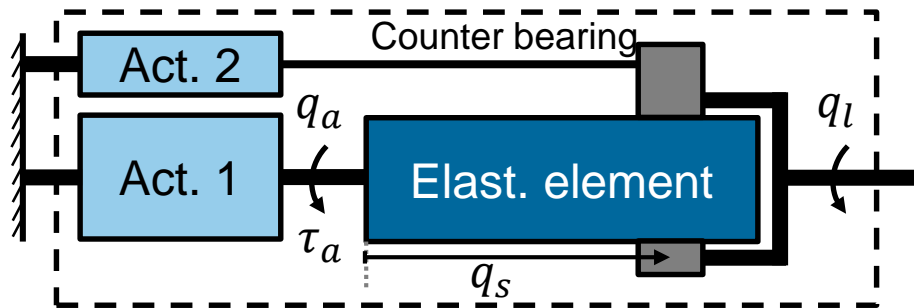




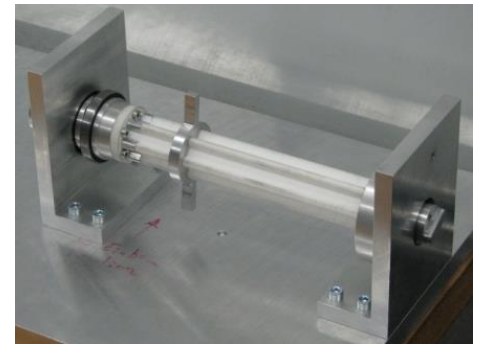
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Series-elastic actuation concept

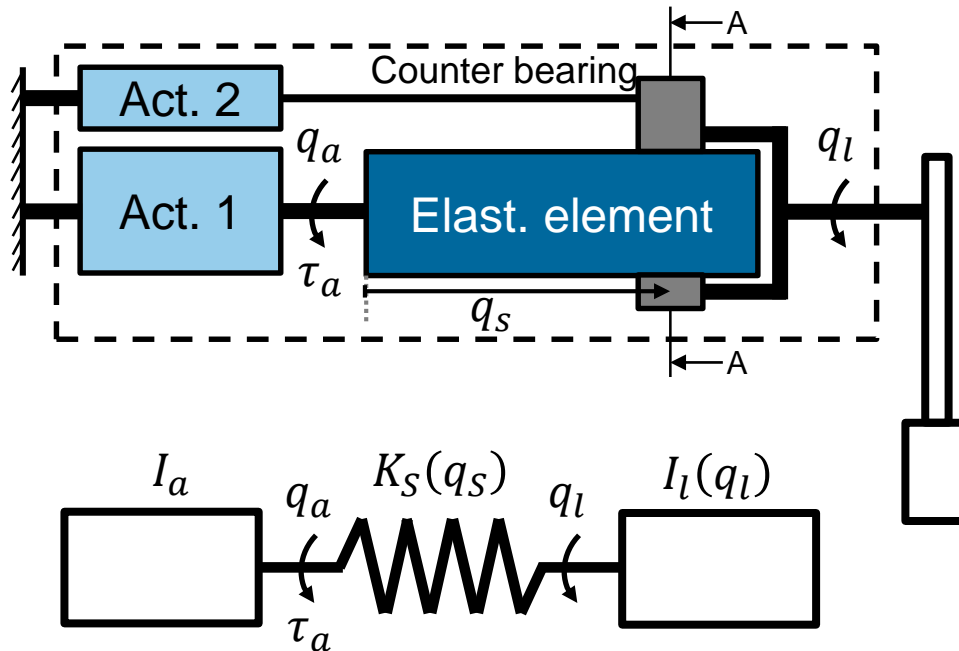
Variable torsion stiffness (VTS)



- Actuator 1 moves link via elasticity
- Actuator 2 varies stiffness $K_s(q_s) = \frac{\Gamma I_T}{q_s}$
- Pendulum load in prototype is according to a shank



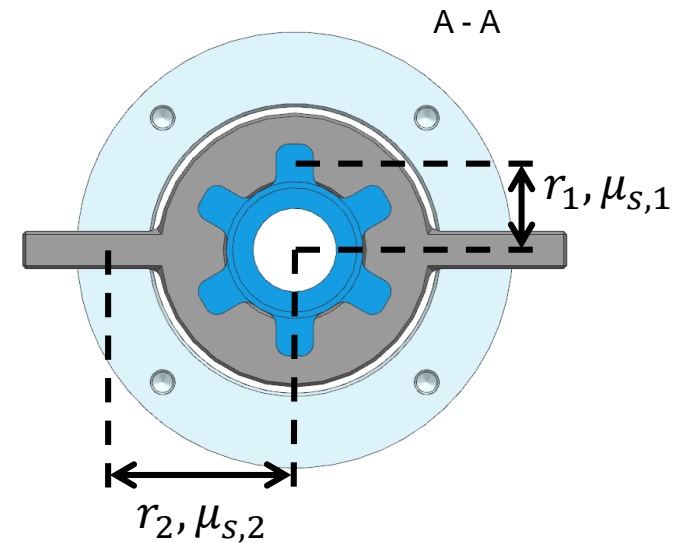
Link motion



$$I_l \ddot{q}_l + G_l(q_l) + K_s(q_s)(q_l - q_a) = 0$$

$$I_a \ddot{q}_a - K_s(q_s)(q_l - q_a) = \tau_a$$

Stiffness variation



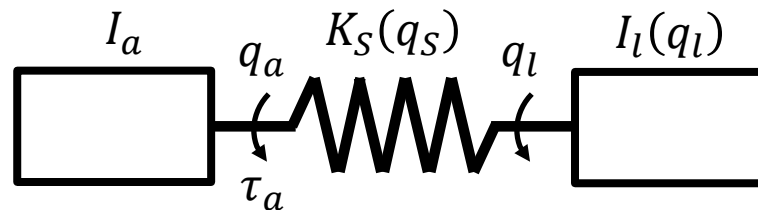
$$m_s(q_s) \ddot{q}_s = F_s - c_f |\tau_e| \text{sign}(\dot{q}_s)$$

$$c_f = \left(\frac{\mu_{s,1}}{r_1} + \frac{\mu_{s,2}}{r_2} \right)$$

$$\tau_e = K_s(q_s)(q_l - q_a)$$

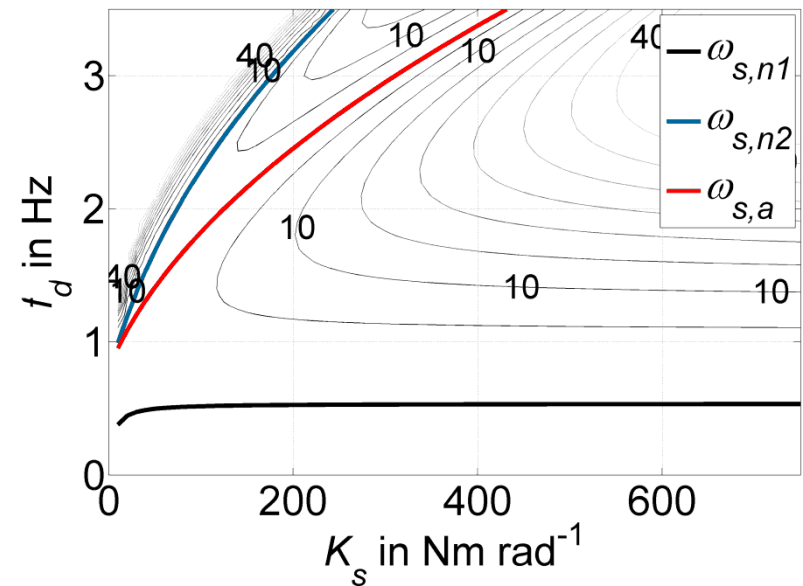
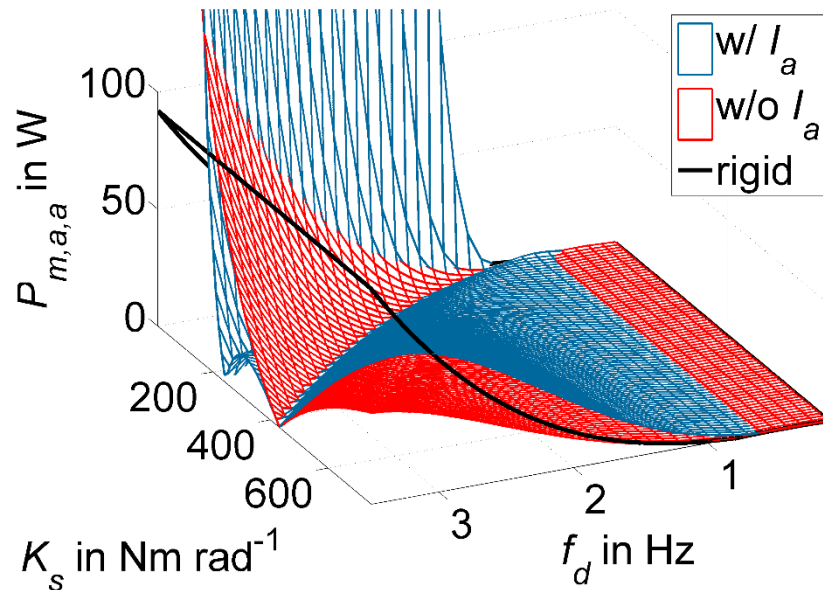
Question

- What impacts the mechanical transfer behavior of VTS?
- What are important transfer paths?
- Could you draw the frequency response?

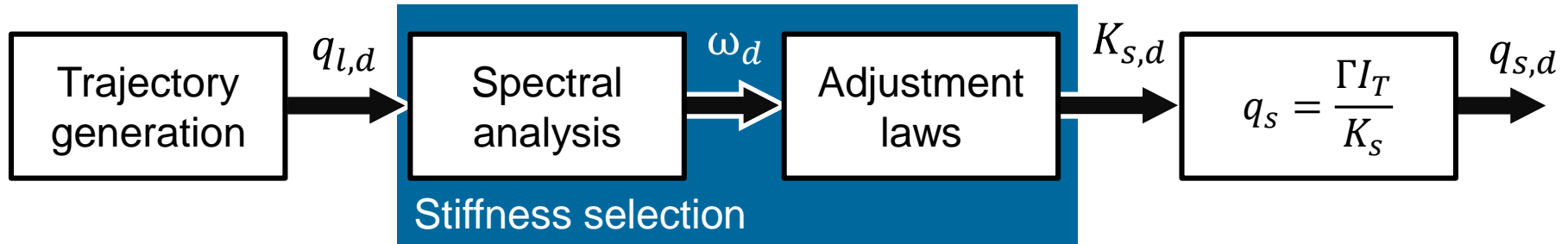


$$I_l \ddot{q}_l + G_l(q_l) + K_s(q_s)(q_l - q_a) = 0$$

$$I_a \ddot{q}_a - K_s(q_s)(q_l - q_a) = \tau_a$$



- Mean mechanical power consumption:
$$P_{m,a,a} = \frac{1}{t_m} \int_{t_m} |\tau_a \dot{q}_a| dt$$
- Additional areas of minimum power consumption due to natural dynamics



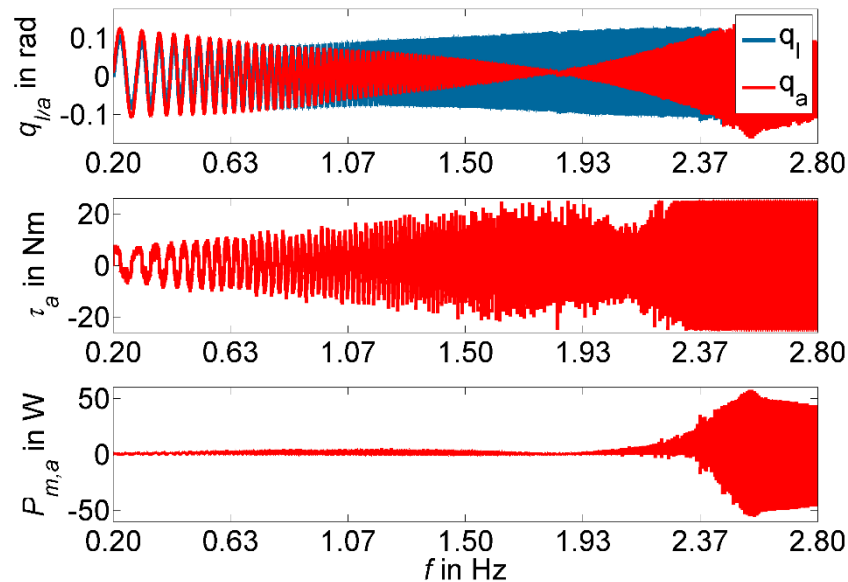
- Determination of frequency component with maximum power share
- Matching antiresonance or second natural mode by stiffness variation

$$K_{s,a}(\omega_d) = I_l \omega_d^2 - m_l g l_l$$

$$K_{s,n2}(\omega_d) = \frac{I_a I_l \omega_d^4 - I_a m_l g l_l \omega_d^2}{-(I_l + I_a) \omega_d^2 + m_l g l_l}$$

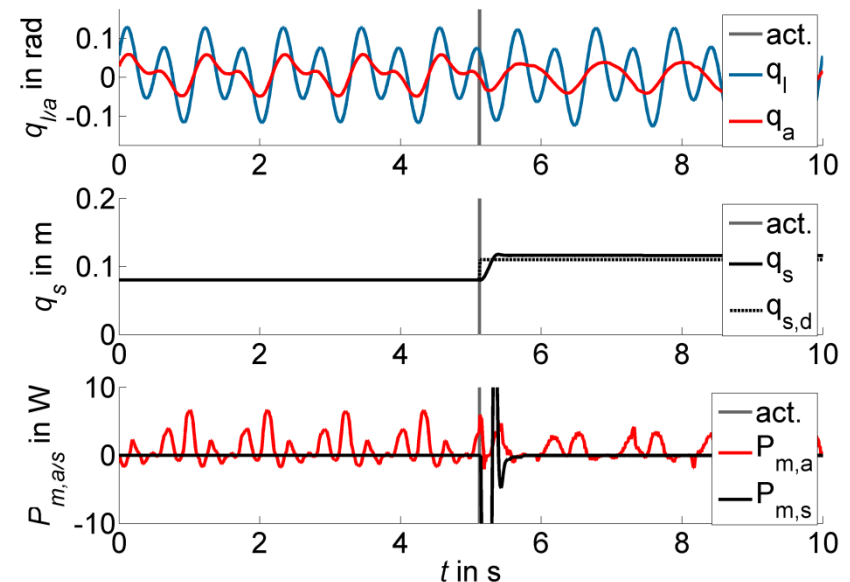
- Setting counter bearing position with PI-controller

Chirp, $K_s = 75 \text{ Nm rad}^{-1}$



- Power minimum for antiresonance
- Second natural mode does not show distinct minimum

Dual sine, K_s for antiresonance



- K_s adjusted at $t = 5$ s
- Power of actuator 1 reduced
- Power peak at actuator 2

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HMCD-requirements & prosthetic knee concept



ACT: $\hat{v}_k, \hat{t}_k, \hat{P}_k$ ($1,3 \text{ m s}^{-1}$)

FUN: $\hat{v}_k, \hat{t}_k, \hat{P}_k$ ($2,6 \text{ m s}^{-1}$)
Variation $K_s(q_s)$

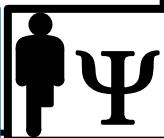
MEC: Human kinematics

OPT: 10 km walking/running

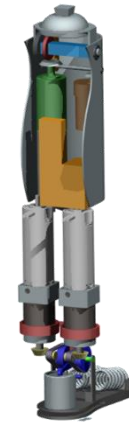
WEI: 2,5 kg (comp. human)

SIZ: human dimensions

SEN: q_k, q_a, τ_a



Knee concept



- DC-Motor
- Serial, variable torsion stiffness
- Revolution joint
- Recuperation, LiPo
- 2 position encoders

Determination of gait-optimal stiffness values



Biomechanics

q_k, τ_k Lipfert, 2010.

Inverse dynamics with
stiffness iteration

$$\tau_k + K_s(q_k - q_a) = 0$$

$$I_a \ddot{q}_a + K_s(q_a - q_k) = \tau_a$$

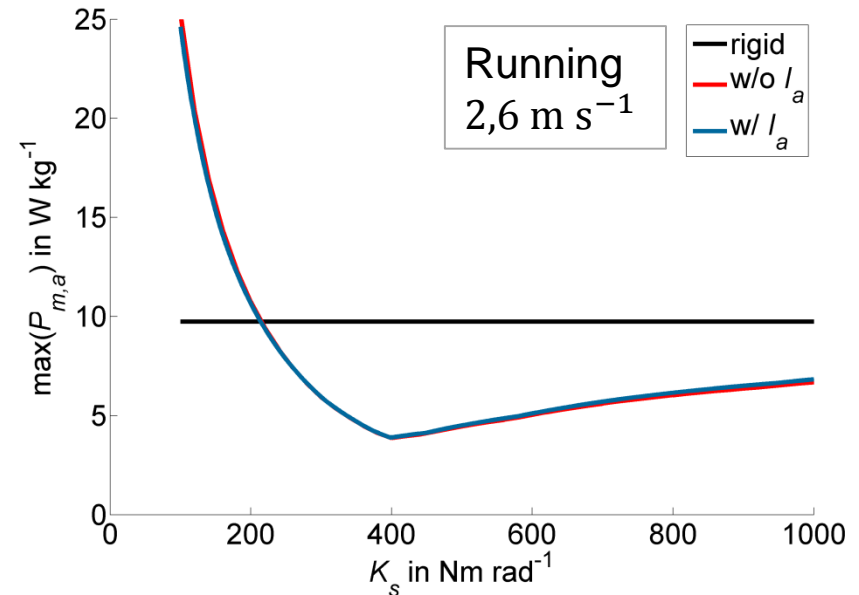
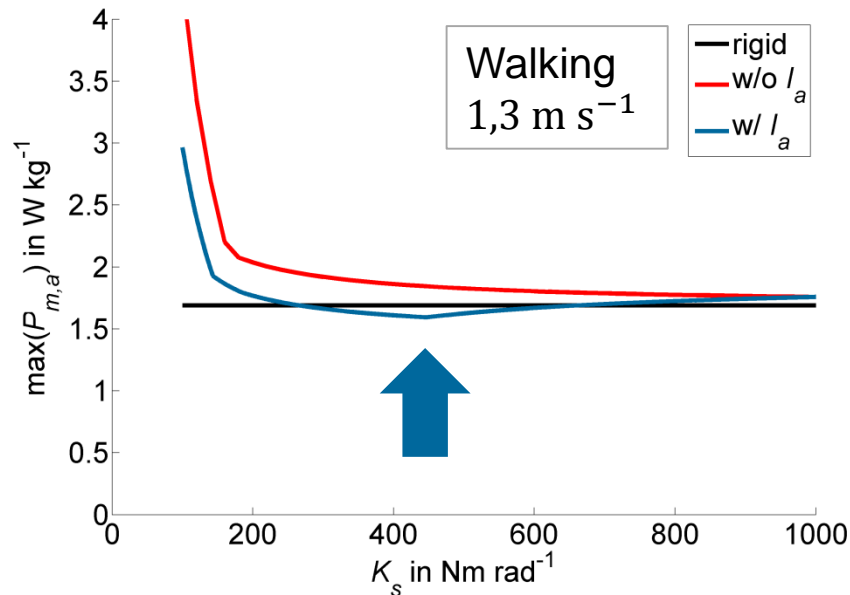
Requirements

q_a, τ_a

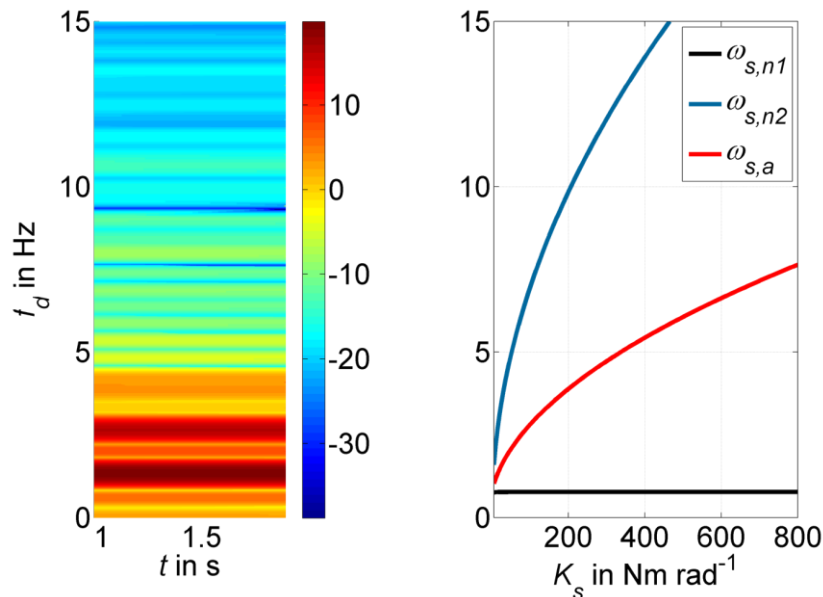
Power
minimization

$$\min_{K_s} (\max_{t_m} (P_{m,a}))$$

$$P_{m,a} = \tau_a \dot{q}_a$$



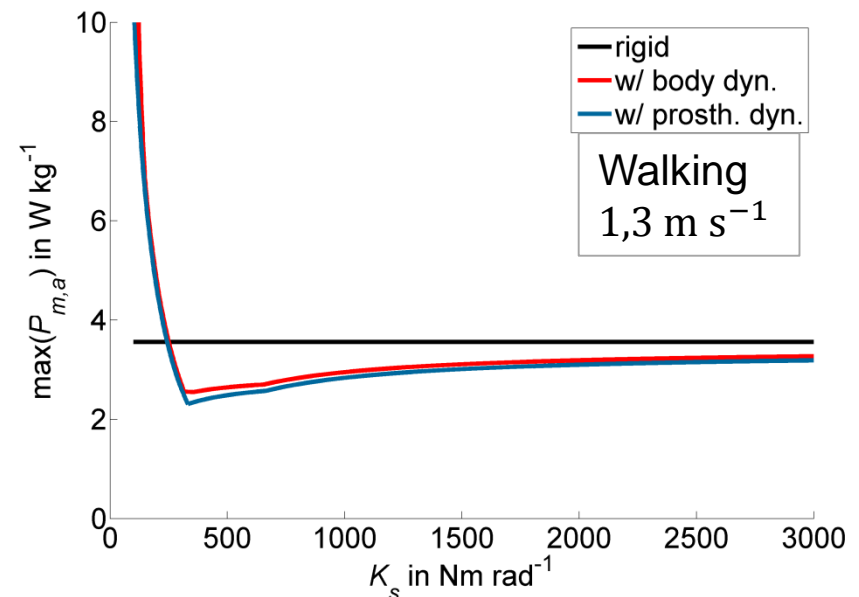
Integration actuation / controls



- Suitability of stiffness control

→ Major frequencies close to first natural mode (constant w.r.t. K_s)

Deviating dynamics with prosthesis



- Considers inertial parameters of prosthesis in human simulation

→ Maximum power reduced (10%)

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- Variable stiffness control for human motions with prosthesis
 - Stiffness optimization for knee actuator during squats and hopping
 - Relation of power consumption, biomech. optimum, and natural dynamics
 - Implementation as a stiffness control algorithm for a prosthesis